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Example: $(1 + 2i) \cdot (6 + 4i)$

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Because we need to both Add and Multiply, we need to ► distribute

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Note 1: To multiply two complex numbers, we distribute and use that $i^2 = -1$

Note 2: When we multiply two complex numbers, we get a complex number back (not something new!)