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Conclusion: In general, if $a + b\mathrm{i}$ is a solution to a quadratic equation, then its complex conjugate $a - b\mathrm{i}$ is a solution, also.