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$$2x - 3y = 7$$

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▶ Let's solve the second equation for x to get: $x = y + 3$

We could have chosen any of the four, but needed to pick one.

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Using $x = y + 3$ we can substitute it in the first equation:

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