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Where 2 is the coefficient of x^2 and $r_1, r_2 = -3, 1$ are the roots.

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Using this, we can put any quadratic into Factored Form!