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Recall Since 5 is repeated, we say that $x = 5$ is a zero of multiplicity 2. The reason the two roots are the same is ± 0 gives the same number. Having ± 0 was a result of $b^2 - 4ac = 0$