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Changing the base from 2 to 10, we get:

$$\log_2(3) = \frac{\log(3)}{\log(2)} \approx \frac{.477121255}{.301029996}$$

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Note: We could have changed the base to either 10 or e but had to pick one.