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▸ We found Properties about Exponents

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Logarithms, inverses of Exponential Functions, have similar properties

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$log_b(x \cdot y) = log_b(x) + log_b(y)$

Proof

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The third property will be most useful to us to try to solve the equations involving exponents that we could not solve!