## Graphing Quadratic Equations with 2 variable

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Note: We get 0,1 , or 2 for each of the real roots.

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