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To put context to this, think in terms of money. If you gained ^{\$}1 billion dollars, would you care about losing ^{\$}1 million dollars The lower degree terms become insignificant In particular, for large values of x: $P(x) \approx a_n x^n =$ lead term