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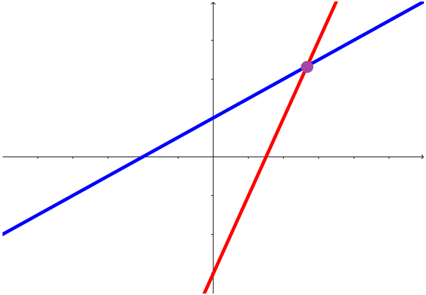

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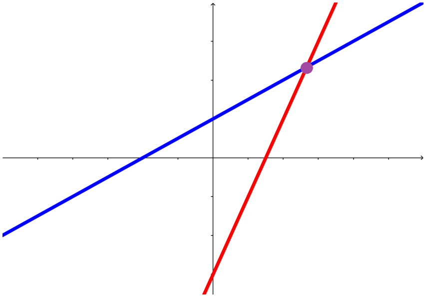

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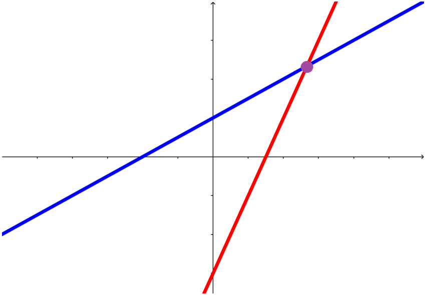

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We will now learn how to solve Systems of Equations which are not lines

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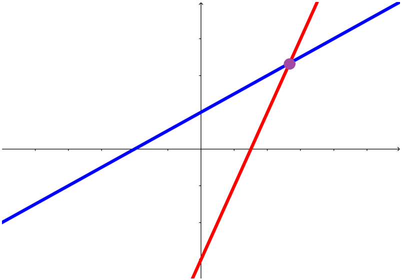

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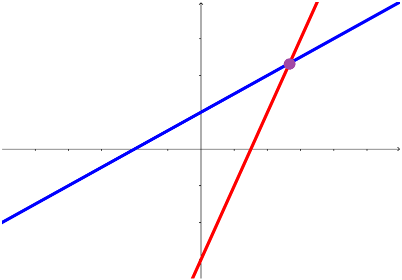

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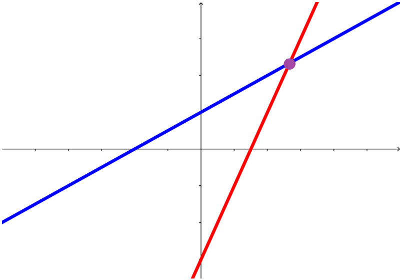

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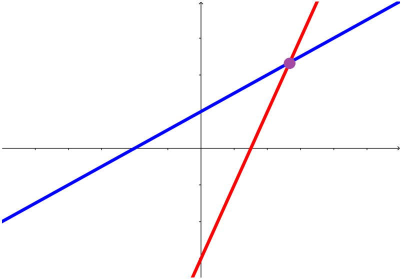

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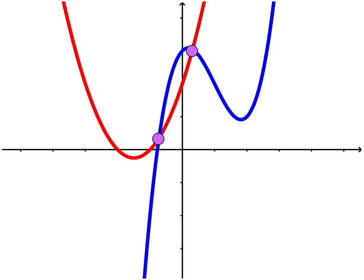

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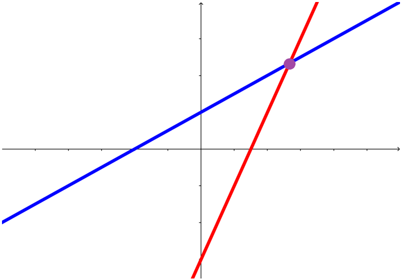

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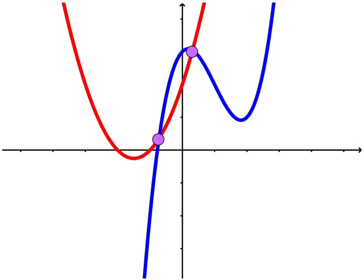

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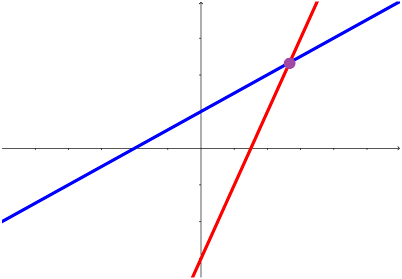

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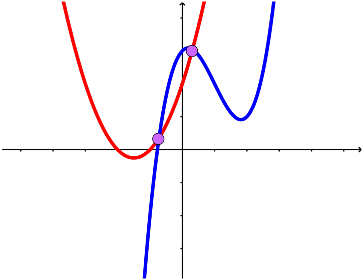

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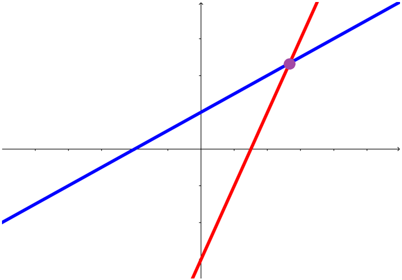

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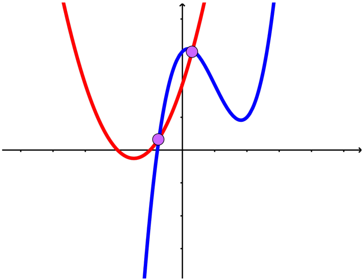

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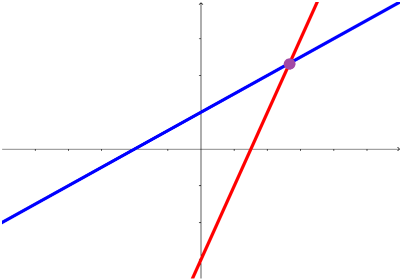

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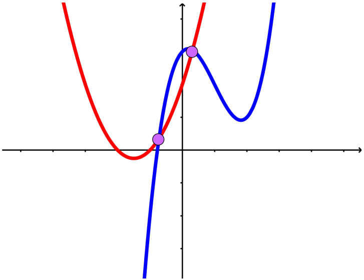

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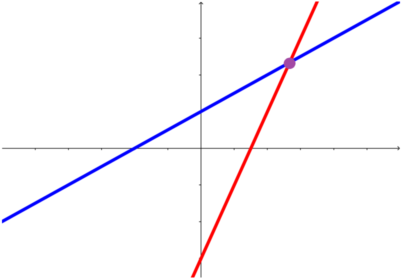

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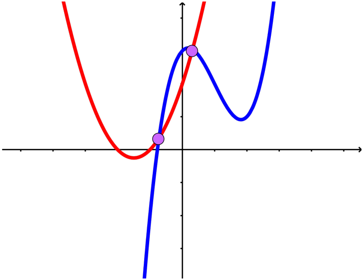

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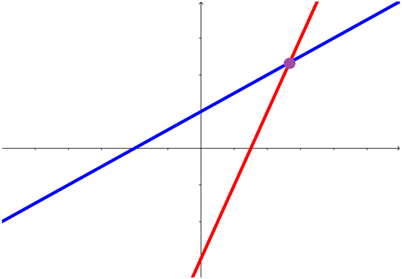

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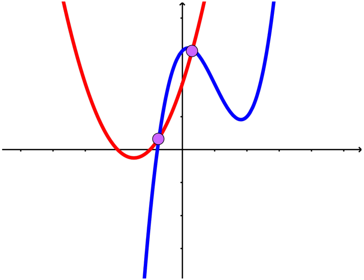

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Leaving the equation of one variable $x$: $f(x) = g(x)$