Composition of Functions - Example 1 Revisited

For the functions $f(x) = x + 1$ and $g(x) = x^2$ ▸ We computed:

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In other words, the order in which we compute the composition matters!