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Before: if $x = 1$ then: $y = -2 \cdot 1 + 4 = -2 + 4 = 2$; sol: $(1, 2)$

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Functions make what we've already been doing more concise!