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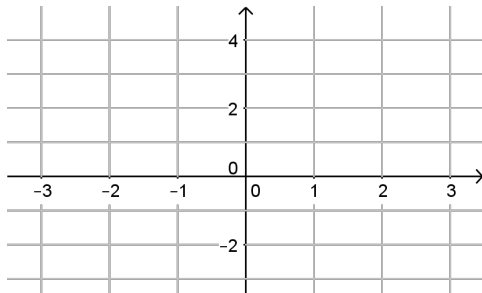
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To sketch the graph, we need to find the [intercepts](#)



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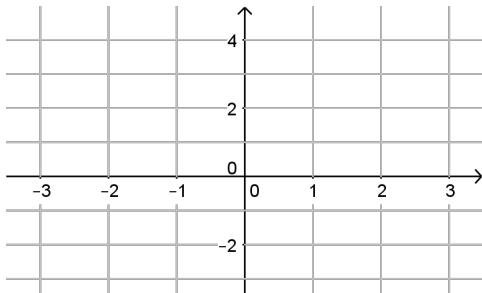
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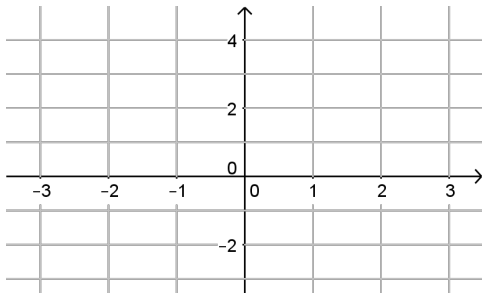
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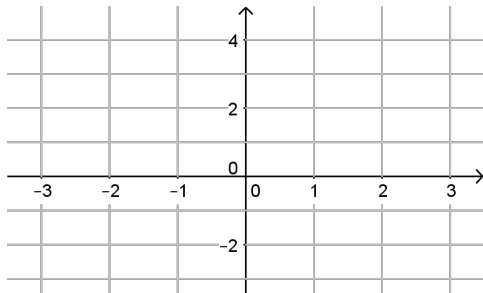
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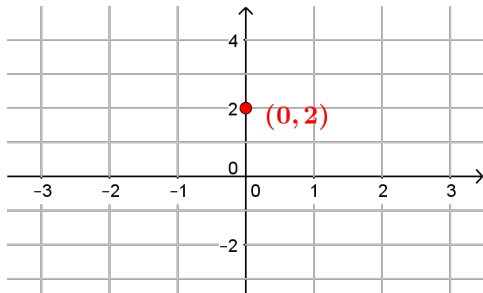
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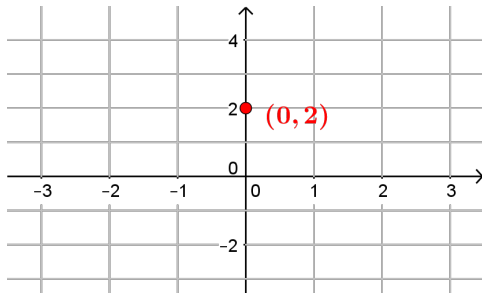
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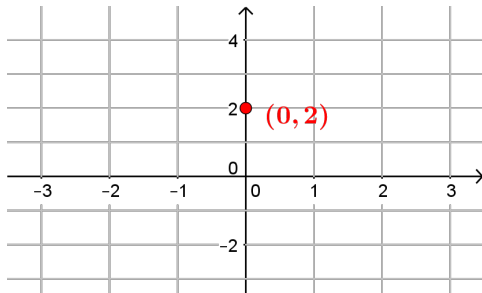
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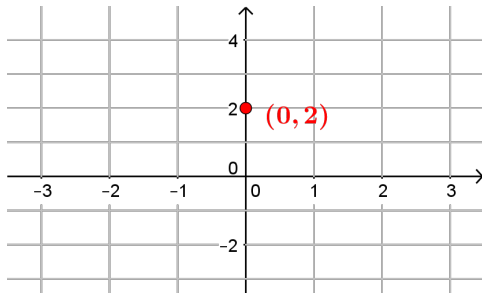
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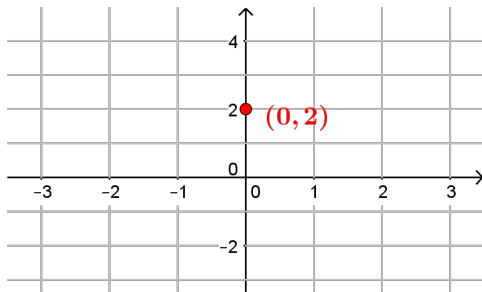
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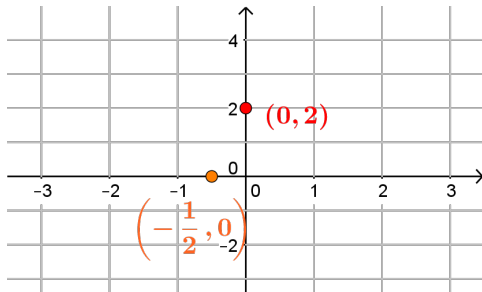
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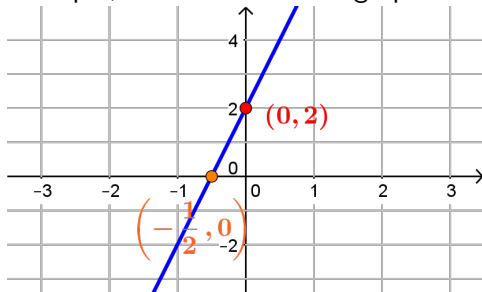
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Using the intercepts, we can sketch the graph of the line



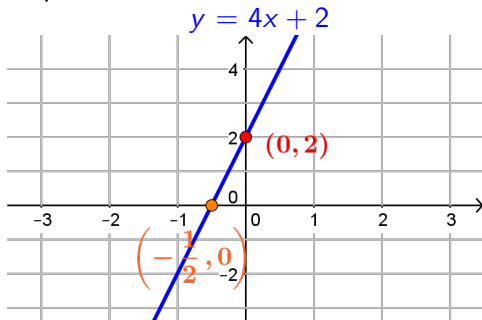
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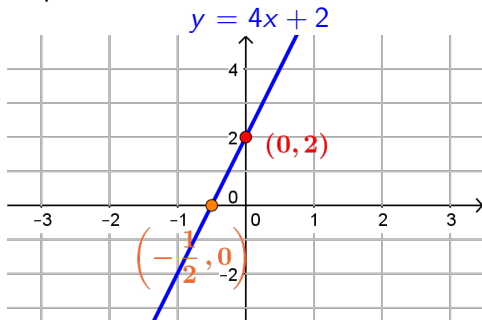
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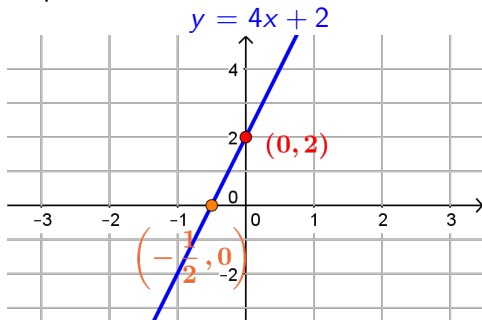
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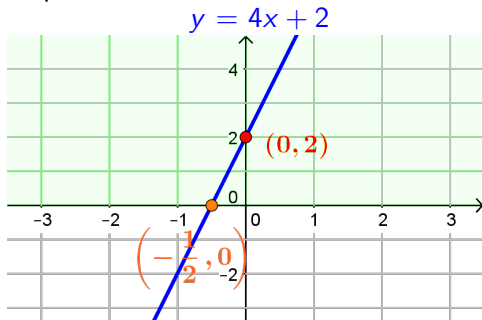
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For $y = |4x + 2|$ all of the y -values must be positive.

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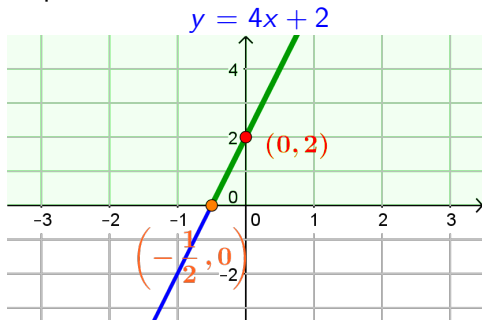
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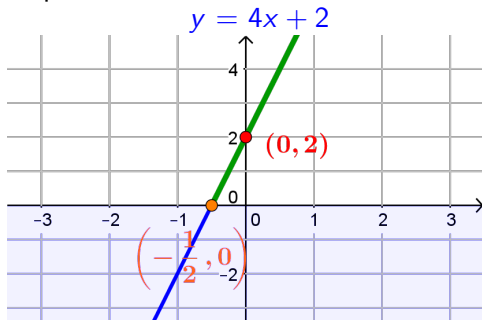
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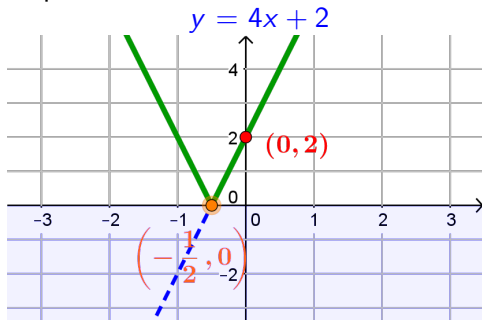
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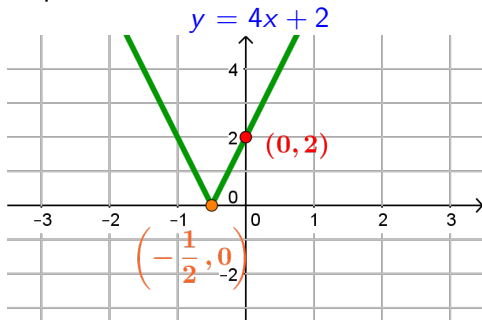
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