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▸ We saw we can add fractions as long as we get a common denominator.

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Example 2:

Like in our last example, we can get a common denominator by multiplying the first fraction by $\frac{6}{6} = 1$ and the second by $\frac{2}{2}$ to get:

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But we could have been more precise with our common denominator.

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So, we just need to multiply by $\frac{3}{3}$ instead of $\frac{6}{6}$

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And we do not need to multiply the second fraction by anything

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So, it is less work in the long run to find the factors of the denominator and only multiply by the missing factors in each fraction!