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We solved this equation in Frame 1 We found that the solution is x = 4**Conclusion:** The solution to $2^{(x+1)} - 2^{(3x-7)} = 0$ is x = 4