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The natural log, ln(x), is the most frequently used logarithm We will wait to see why it is the "natural" choice in a Calculus course. Note: One other base that comes up frequently, typically in computer science, is base b = 2.