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We want to know the original amount of money put away.

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▸ We saw that the amount of money is given by:

$$P(t) = P_o \left(1 + \frac{r}{n}\right)^{nt}$$

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Conclusion: We need to put away $2714.74 to have $3000 in 5 years