

Circles

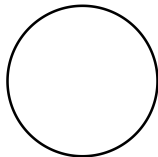
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We know what a circle looks like!

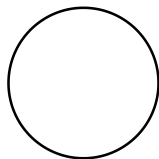


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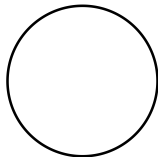


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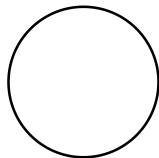
A circle is a collection of points that are **equally distanced** from a single point, called the **center**

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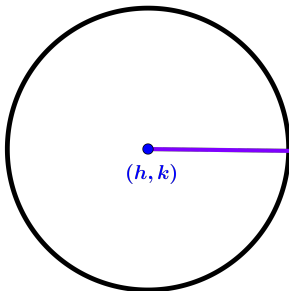
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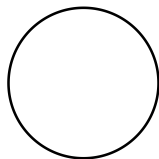


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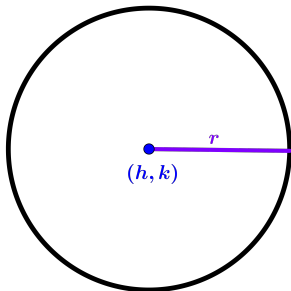
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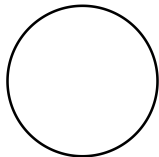
The shared distance from the **center** is called the **radius** r

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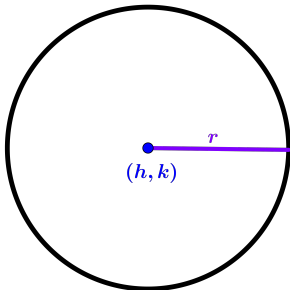
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Definition: A circle of **radius r** and **center (h, k)** is the set of points **distance r** from **(h, k)**

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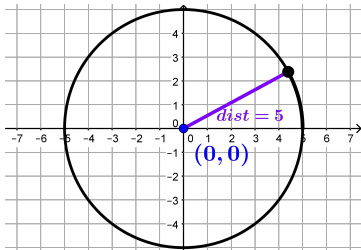
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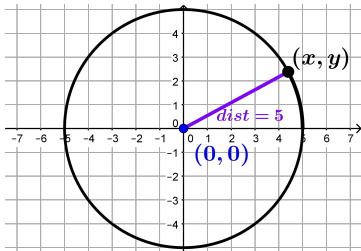
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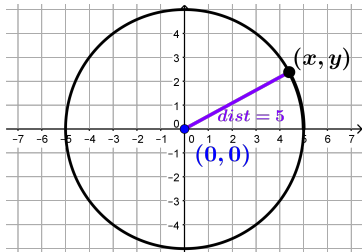


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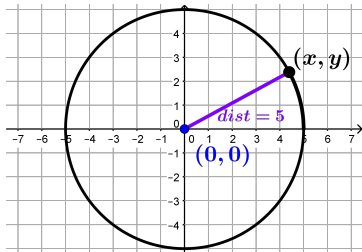
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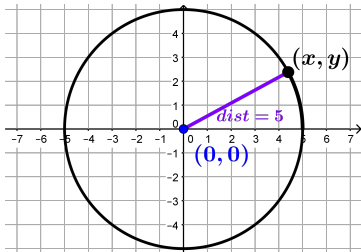
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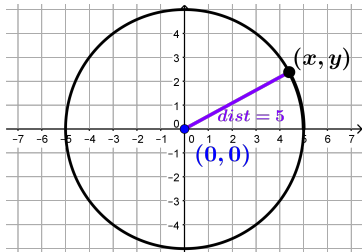
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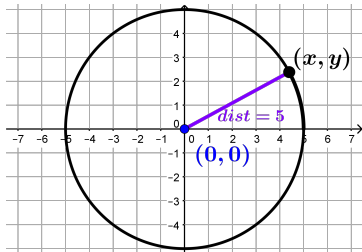
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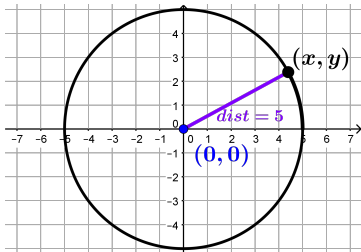
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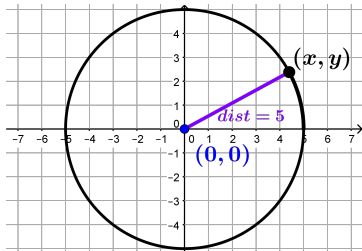
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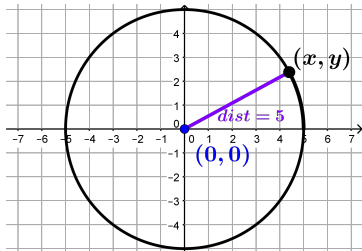
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